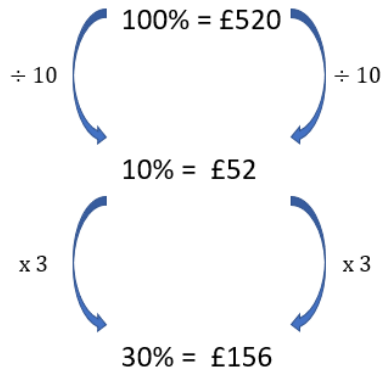
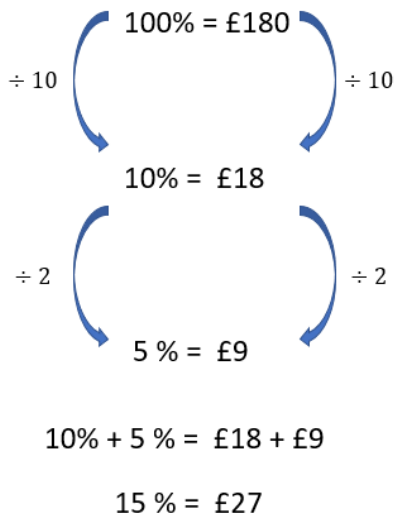


Percentages

Find 30% of £520

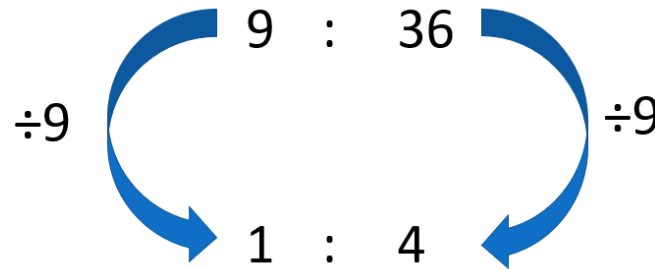


Find 15% of £120



Ratio

Simplifying Ratio: **The Golden Rule:** Divide both by the highest common factor



The ratio of apples to bananas is 4:3

How many apples are there?
How many bananas are there?

apples	apples	apples	apples	bananas	bananas	bananas
--------	--------	--------	--------	---------	---------	---------

Apples	Apples	Apples	Apples	Bananas	Bananas	Bananas
4	4	4	4	4	4	4

There could be 16 apples: 12 bananas

Apples	Apples	Apples	Apples	Bananas	Bananas	Bananas
10	10	10	10	10	10	10

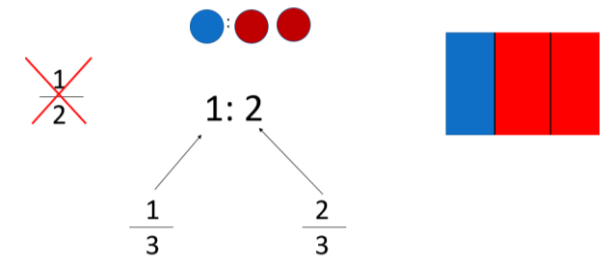
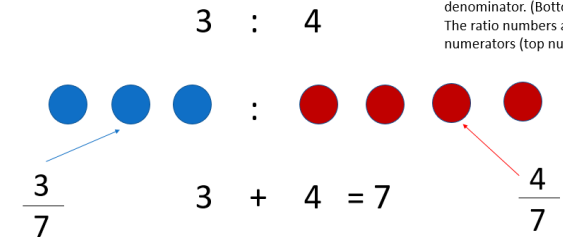
There could be 40 apples: 30 bananas Etc.

Converting ratio to Fractions

Converting Ratio to Fractions

Converting ratios to fractions: **The golden rule!**

Add the ratios together. This is your new denominator. (Bottom number.)
The ratio numbers are your new numerators (top numbers).



Which deal is the best value?

Eat Fresh



2 for 68p

$68p \div 2 = 34p$ each

Max-Mart



3 for 96p

CHEAPEST

$96p \div 3 = 32p$ each

price per item = total cost \div quantity

Ratio

The ratio of apples to bananas is 4:3

How many apples are there?
How many bananas are there?

apples	apples	apples	apples	bananas	bananas	bananas
--------	--------	--------	--------	---------	---------	---------

Apples	Apples	Apples	Apples	Bananas	Bananas	Bananas
4	4	4	4	4	4	4

There could be
16 apples: 12 bananas

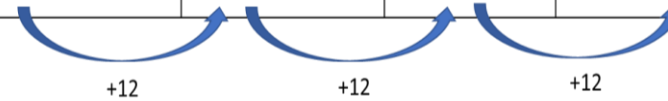
Apples	Apples	Apples	Apples	Bananas	Bananas	Bananas
10	10	10	10	10	10	10

There could be
40 apples: 30 bananas
Etc.

Simple Interest

Example: You invest £300 at an interest rate of 4% per year.

Simple interest 4% of 300 = 12, so it increases by £12 per year.	Value of investment after 1 year	Value of investment after 2 years	Value of investment after 3 years	Quick way of calculating the new value of the investment after 3 years
£300	£312	£ 324	£336	300 + 36



Direct proportion: Best buys

Which deal is the best value?

Eat Fresh



2 for 68p

$$68p \div 2 = 34p \text{ each}$$

Max-Mart



3 for 96p

$$96p \div 3 = 32p \text{ each}$$

price per item = total cost ÷ quantity



Reverse Percentages

I go to a sale. I see an item that says 20% off. It is now £400. What was the full price of the item?

Firstly, lets write this scenario out mathematically.

$$\text{The full price} - 20\% = 80\%$$

$$100\% - 20\% = 80\%$$

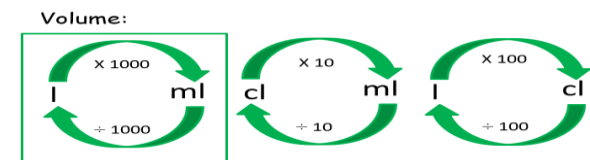
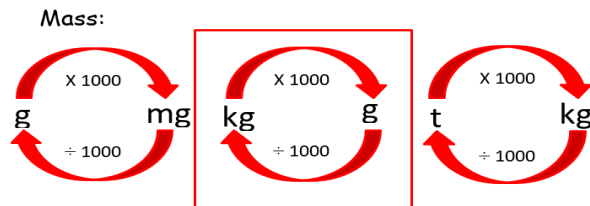
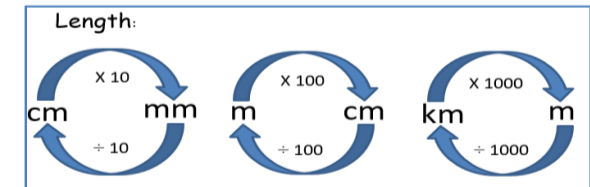
$$80\% = £400$$

$$1\% = £5$$

$$100\% = £500$$

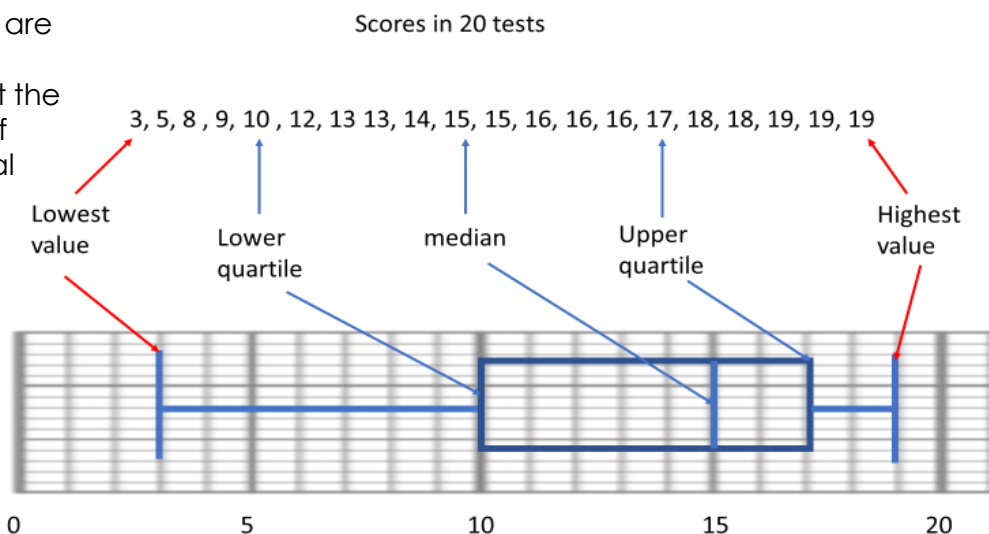
In other words, 100% of the price, the full price, is equal to £500.

Metric Conversions

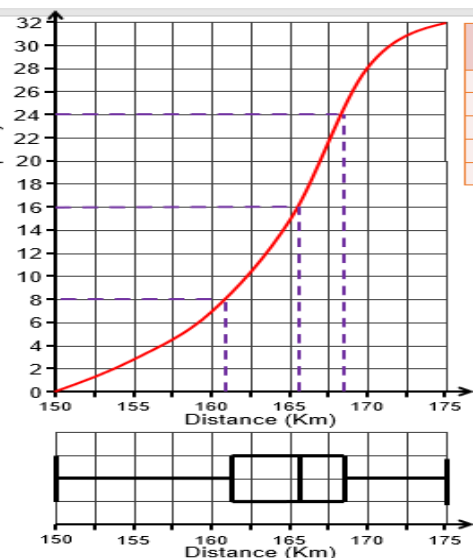


Box Plots

- **Box Plots** are used to represent the spread of numerical data



Cumulative Frequency Graphs



Cumulative frequency graphs allow us to estimate the lower quartile, upper quartile and median of grouped frequency data (see the dotted lines on the graph.)

Distance, d Km	Freq.	Cumulative Frequency
150 < d ≤ 155	3	3
155 < d ≤ 160	4	7
160 < d ≤ 165	8	15
165 < d ≤ 170	13	28
170 < d ≤ 175	4	32

The co-ordinates are taken from the upper limit and cumulative frequency of each interval. So the last co-ordinate is (175,32)

Mean, Median, Mode & Range

For the data points: 3, 3, 3, 7, 8, 9, 9

- The **mode** is the most common data point: 3
- The **median** is the middle number (Once you've lined them up from smallest to largest): 7
- There are three numbers to the left of 7 and three numbers to the right, so 7 is the median.
- To find the **mean**, you divide the total by the number of data points:
 $3 + 3 + 3 + 7 + 9 + 9 = 42$
 $42 \div 7 = 6$, so the mean is 6.
- The mean is the total shared between each data point. In the example above, it is like saying that 7 friends have a total of £42, so they each have about £6 on average. However it does not tell us how the much the amounts vary from each other. For that we need to find the range.
- The **range** is the difference between the smallest and largest data point: $9 - 3 = 6$ so the range is 6.
- The **interquartile range** is the difference between the upper quartile and the lower quartile.
- The range and interquartile range are not averages, so they do not give us a sense of the size of the numbers. They are measures of how spread out the data is: the lower the range and the interquartile range, the more consistent the numbers are.

MEAN
MEDIAN
MODE
RANGE

MEAN
MODE AND MEDIAN
RANGE